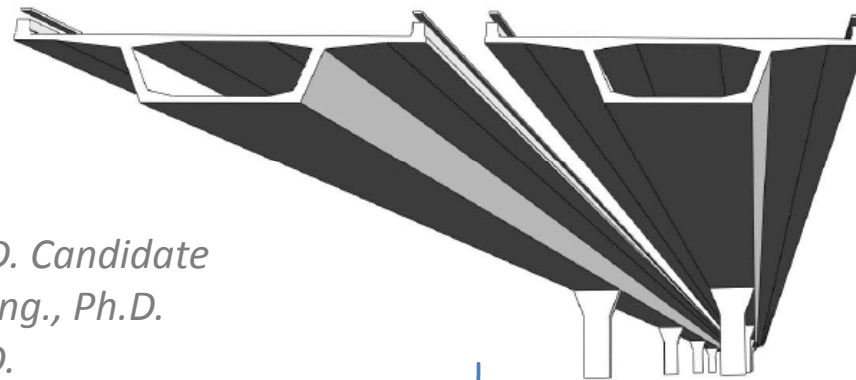


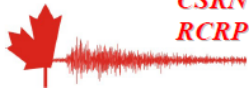


UNIVERSITY OF TORONTO
FACULTY OF APPLIED SCIENCE & ENGINEERING

Design Guidelines for Isolated and Damped Bridges in Canada



Viacheslav Koval, P.Eng., Ph.D. Candidate
Constantin Christopoulos, P.Eng., Ph.D.
Robert Tremblay, P.Eng., Ph.D.



CSRN
RCRP

Canadian Seismic Research Network
Réseau canadien pour la recherche parasismique

Funded by NSERC / Subventionné par le CRSNG

26 Mai, 2011

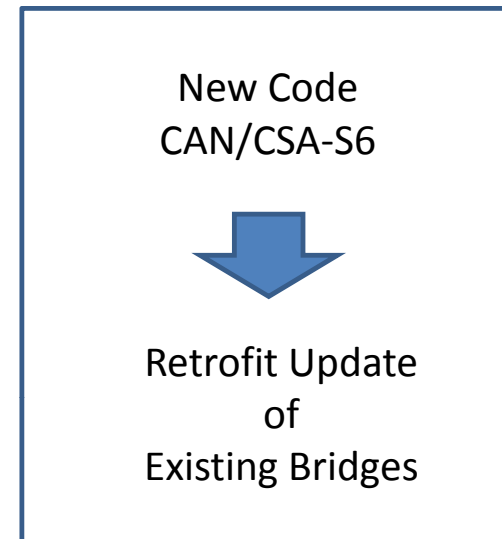
1. Introduction

- Bridge Design Code:
 - CSA-S6;
 - 1994 AASHTO LRFD Highway Bridge Specification
- Design Performance Events:
 - 10%-50 years (475 years);
 - 2%-50 years (2500 years)
- Time-Histories for Eastern Canada:
 - Lack of Historical Records;
 - Artificial Records (e.g. Atkinson 2009);
 - Hybrid Records (e.g. McGuire 2001)

2. Problem Formulation and Project Goals

PROBLEM FORMULATION

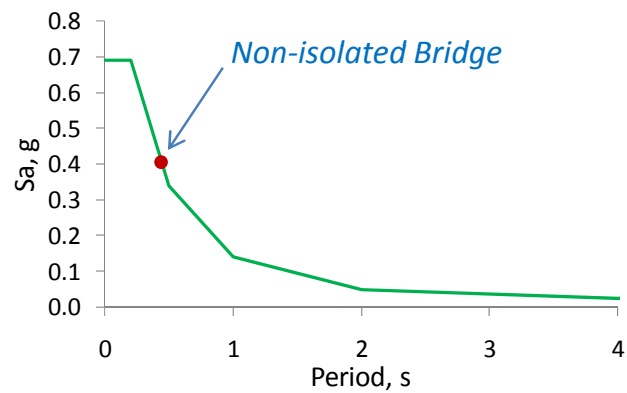
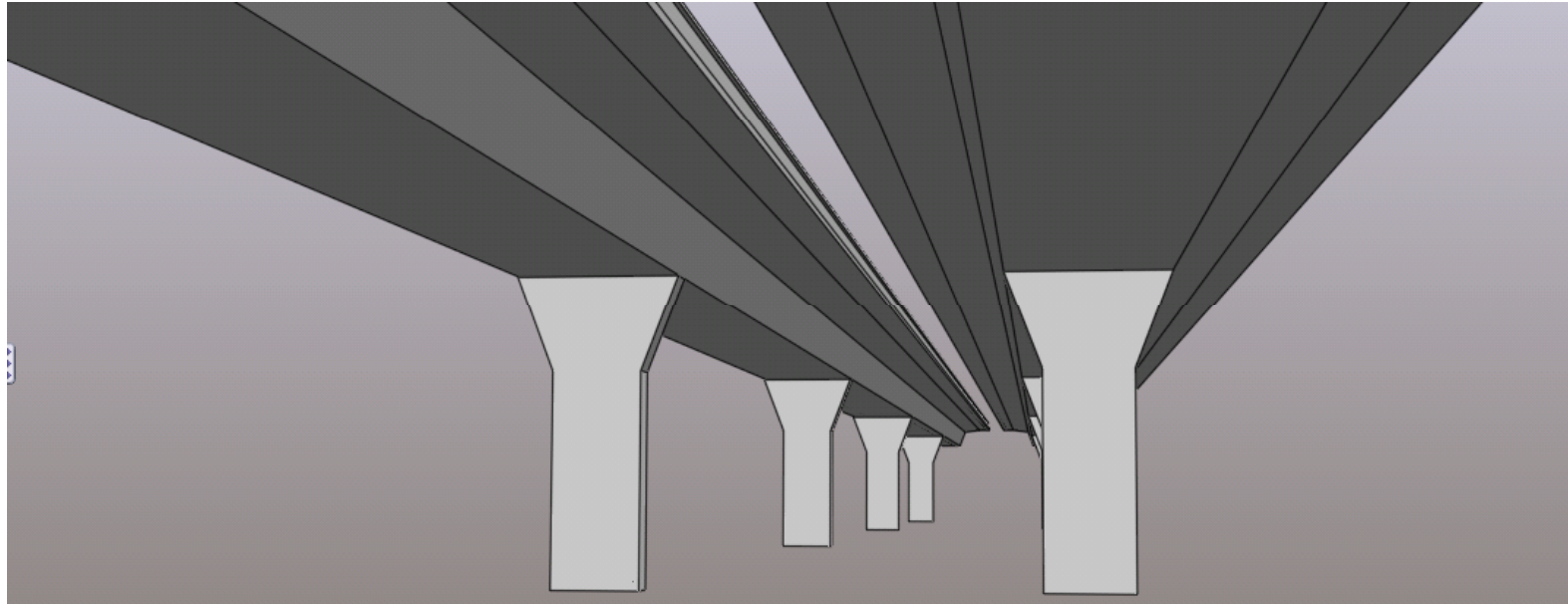
- High risk of earthquake impact persists in Eastern Canada;
- Canadian Highway Bridge Design Code CSA-S6-06 is based on seismic ground motions adapted for western regions of Canada ;
- Assessment and Retrofit Update for existing bridges .



GOALS

- Updating Clause 4.10 of CSA-S6 Standard on isolated bridges;
- Development of an analytical tool for assessing isolated bridge behaviour under seismic demand.

3. Bridge Base Isolation



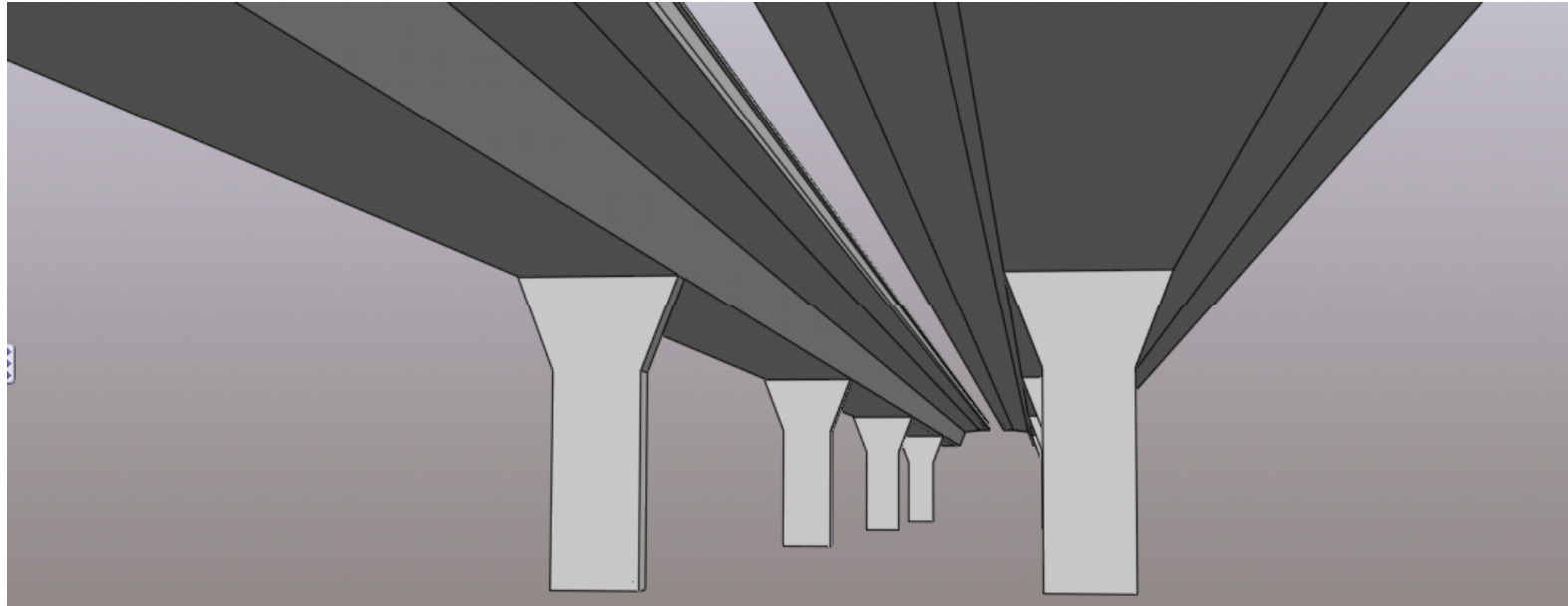
$$d_i = \frac{0.25 \cdot A \cdot S_i \cdot T_e}{B} \text{ (m)}$$



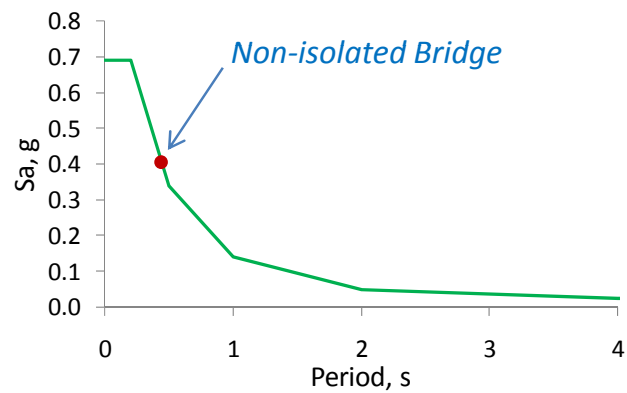
$$S_d = \frac{T_e^2}{4 \cdot \pi^2} \frac{A \cdot S_i}{B \cdot T_e} \cdot g$$

*CAN/CSA-S6: Clause 4.10.6.2.1
(Statically Equivalent Force)
Displacement across isolation bearing*

3. Bridge Base Isolation



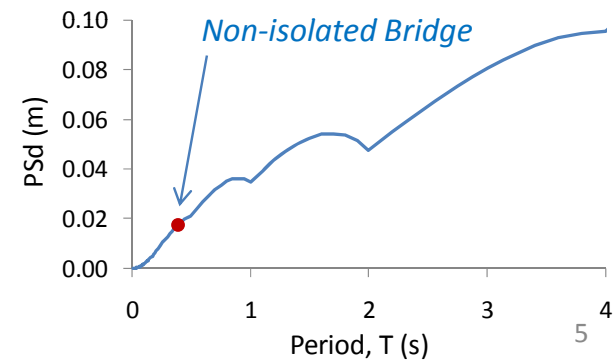
CAN/CSA-S6: Cl. 4.10.6.2.1



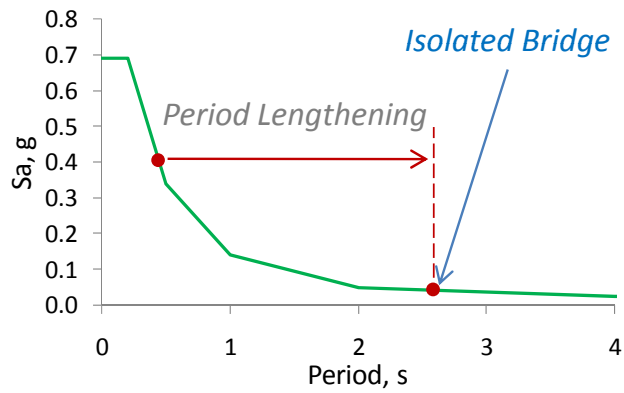
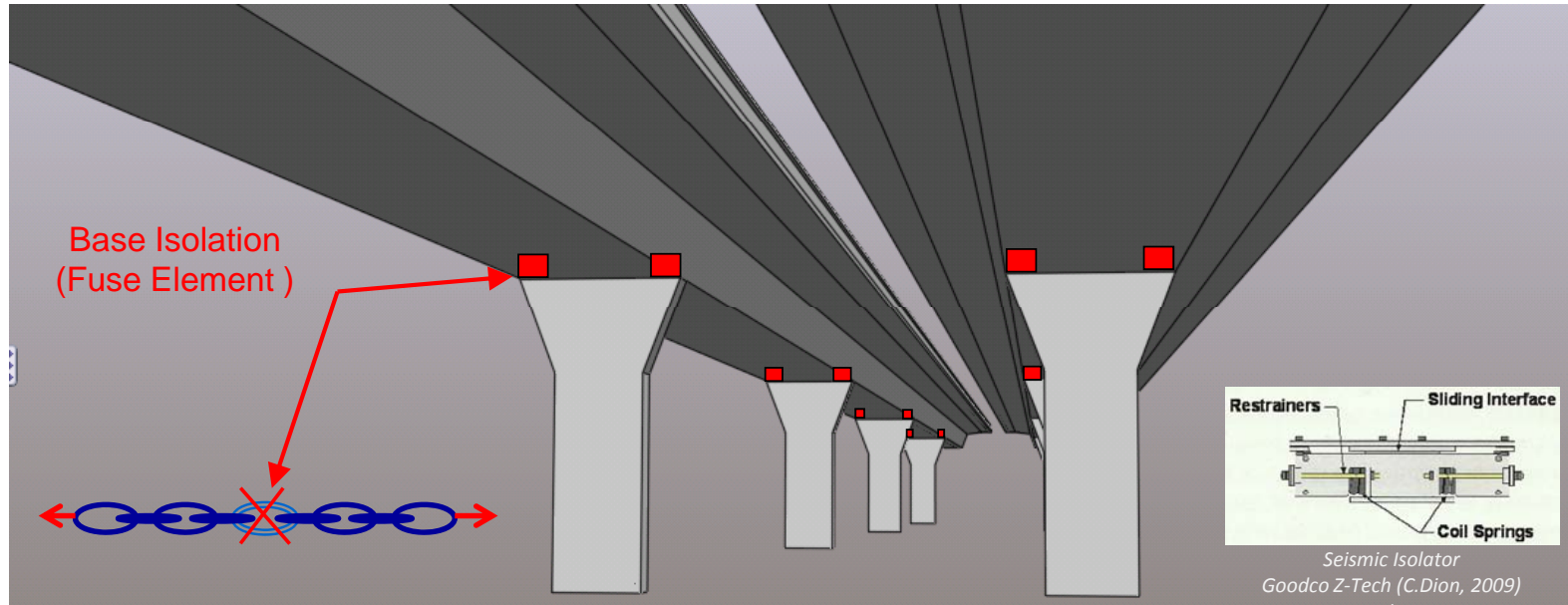
$$S_d = \frac{T_e^2}{4 \cdot \pi^2} \cdot \frac{A \cdot S_i}{B \cdot T_e} \cdot g$$



$$PS_d = \frac{S_a}{w^2}$$



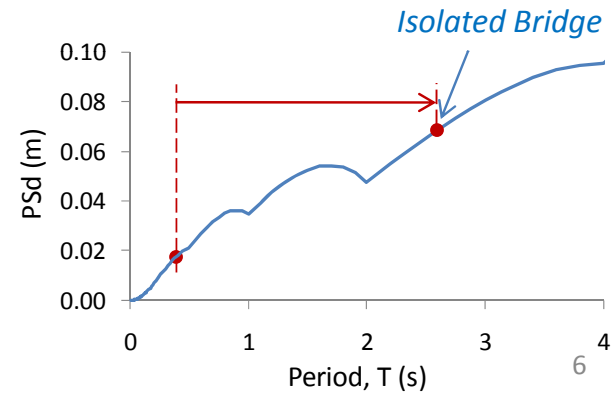
3. Bridge Base Isolation



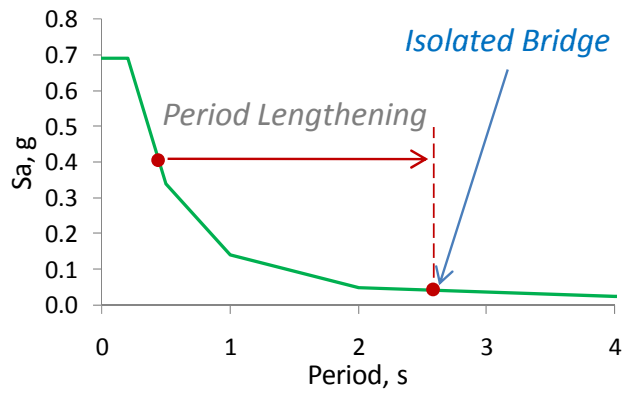
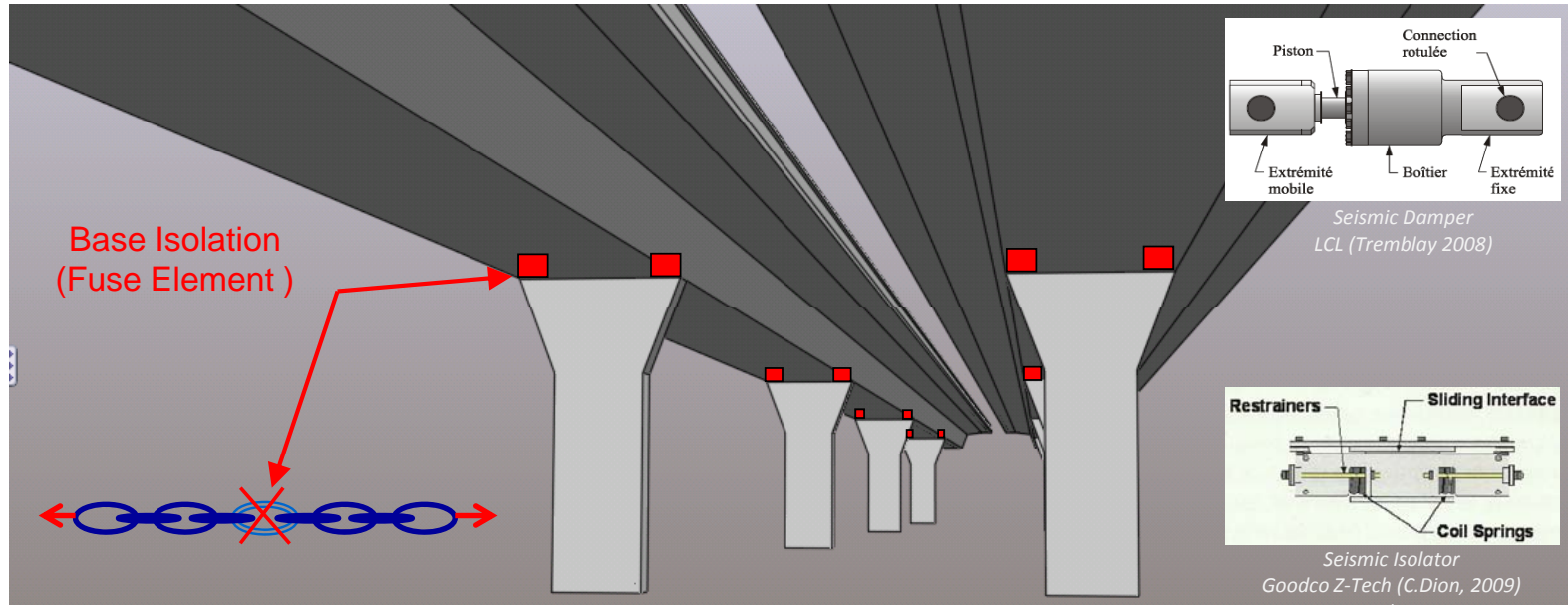
$$S_d = \frac{T_e^2}{4 \cdot \pi^2} \frac{A \cdot S_i}{B \cdot T_e} \cdot g$$

↓

$$S_d = \frac{S_a}{w^2}$$

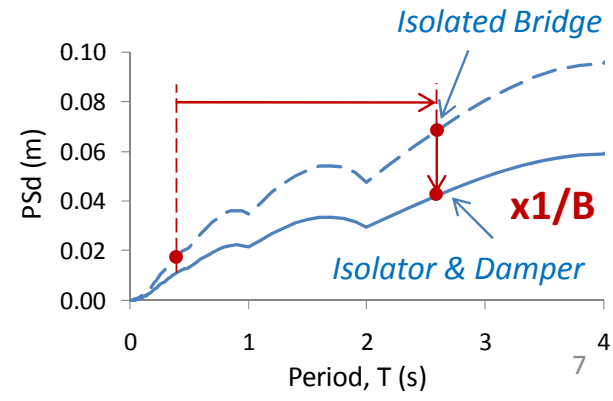


3. Bridge Base Isolation



$$S_d = \frac{T_e^2}{4 \cdot \pi^2} \frac{A \cdot S_i}{B \cdot T_e} \cdot g$$

$$S_d = \frac{S_a}{w^2}$$



4. Damping Reduction Coefficient, B

Different Code Provisions

CAN/CSA-S6-06

Table 4.8
Damping coefficient, B
 (See Clauses 4.10.6.2.1 and 4.10.11.2.)

Equivalent viscous damping, β (% of critical)	Damping coefficient, B
≤ 2	0.8
5	1
10	1.2
20	1.5
30	1.7
40	1.9
50	2

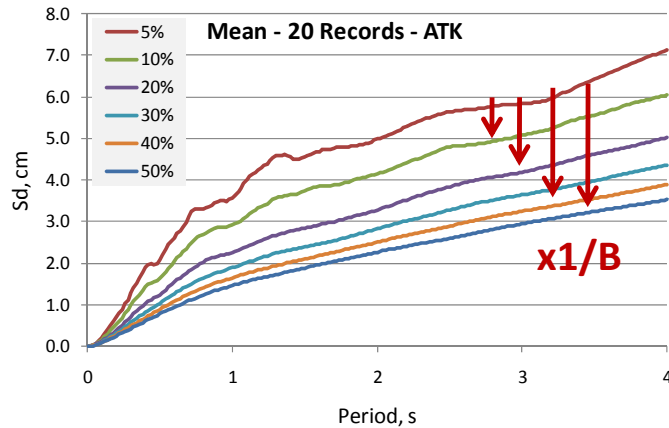
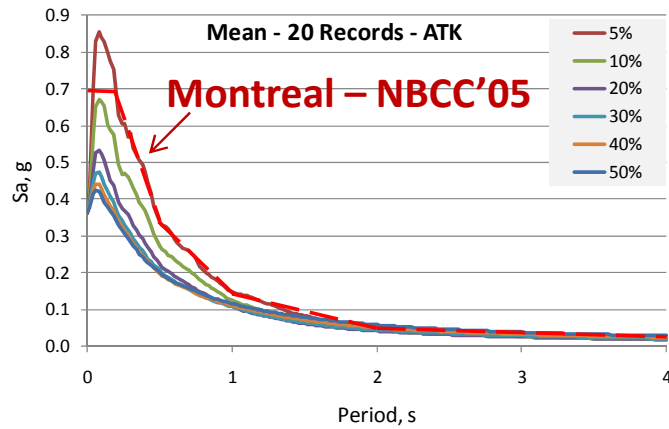
Note: The percentage of critical damping shall be verified by a test of the isolation system's characteristics as specified in Clause 4.10.11.3.3. The damping coefficient shall be based on linear interpolation for damping levels other than those specified in this Table. For isolation systems where the effective damping exceeds 30% of critical, a three-dimensional non-linear time-history analysis shall be performed using the hysteresis curves of the system, unless B is limited to 1.7.

β	AASHTO (1994)	AASHTO (2009)	EUROCODE 8	FEMA 273 (1997) FEMA 356 (2000)	FEMA 273 (1997) FEMA 356 (2000)
(%)	B	B	$1/\mu$	B_s	B_1
2	0.8	0.76	0.84	0.8	0.8
5	1.0	1.00	1.00	1.0	1.0
10	1.2	1.23	1.22	1.3	1.2
20	1.5	1.52	1.58	1.8	1.5
30	1.7	1.71	1.87	2.3	1.7
40	1.9	1.87	2.12	2.7	1.9
50	2.0	2.00	2.35	3.0	2.0

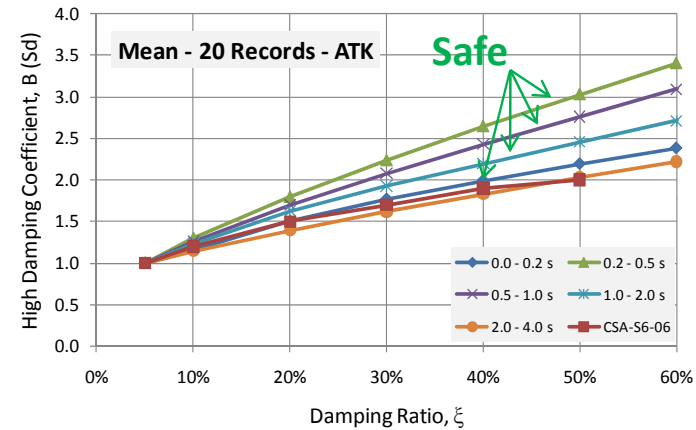
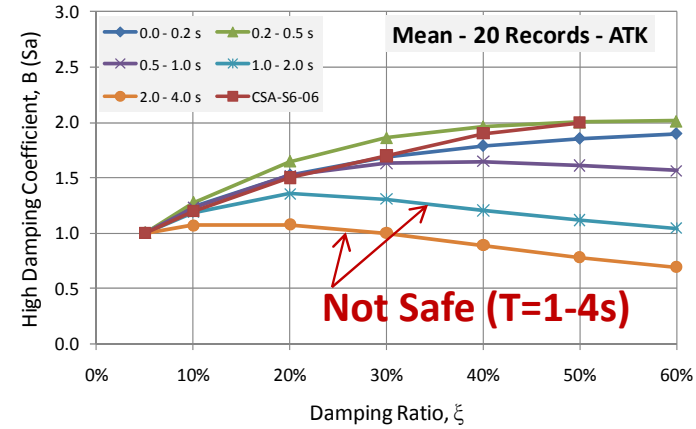
β	UBC (1994)	ATC-40 (1996)	ATC-40 (1996)	Newmark & Hall (1982)		
(%)	B	B_s	B_1	A Region	V Region	D Region
2				0.77	0.81	0.85
5	1.00	1.00	1.00	1.00	1.00	1.00
10	1.19	1.30	1.22	1.29	1.20	1.16
20	1.56	1.82	1.54	1.81	1.53	1.38
30	1.89	2.38	1.82			
40		3.03	2.08			
50						

T=0.50s T=3.33s 8

4. Damped Elastic Response Spectra

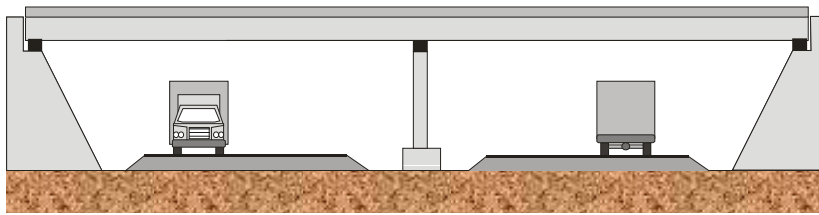


Mean of 20 Artificial Records (Atkinson 2009)
Montreal – 2% in 50 years – Soil Class C

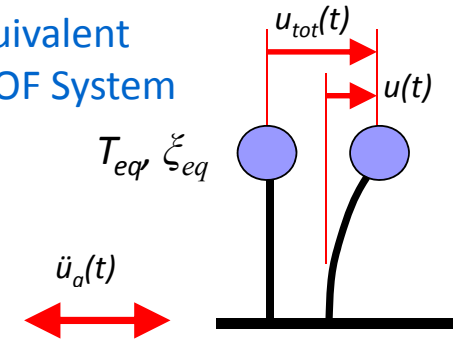


5. Existing Isolated Bridge – Linear Equivalent System

Isolated Bridge – Nonlinear Behaviour



Equivalent SDOF System

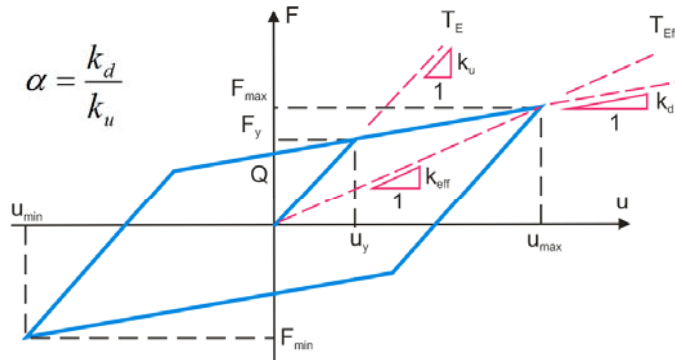


$$\beta_{eff} = \frac{1}{4\pi} \cdot \frac{Eh}{Es} = \frac{2}{\pi} \cdot \frac{Q \cdot (u_{max} - u_y)}{k_{eff} \cdot u_{max}^2} = \frac{2}{\pi} \cdot \frac{(\mu - 1) \cdot (1 - \alpha)}{\mu \cdot (1 + \alpha\mu - \alpha)}$$

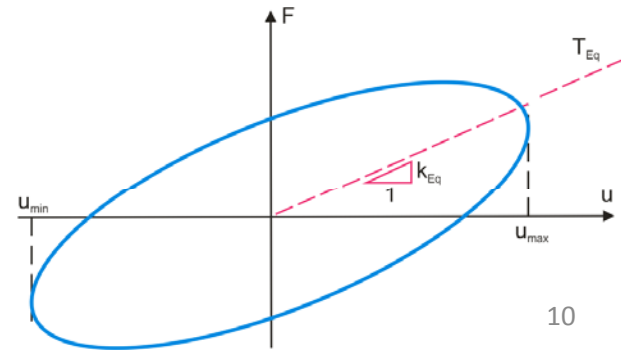
$$T_{eff} = T_e \cdot \sqrt{\frac{\mu}{1 + \alpha\mu - \alpha}}$$

$$\xi_{eq} = \beta_{eff}$$

$$T_{eq} = T_{eff}$$



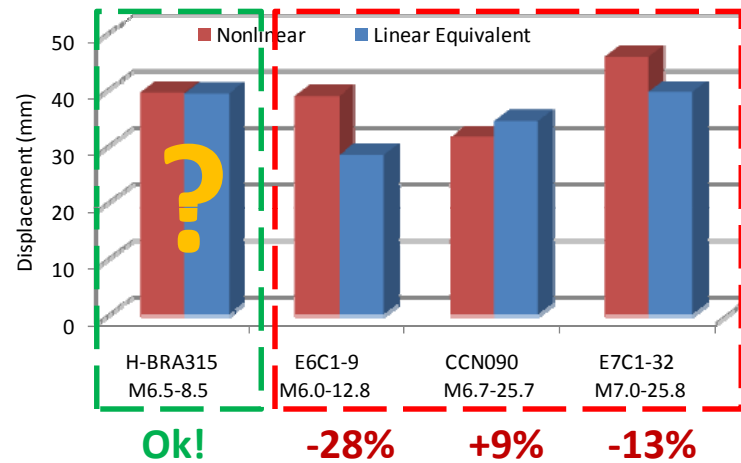
$$\alpha = \frac{k_d}{k_u}$$



5. Equivalent System

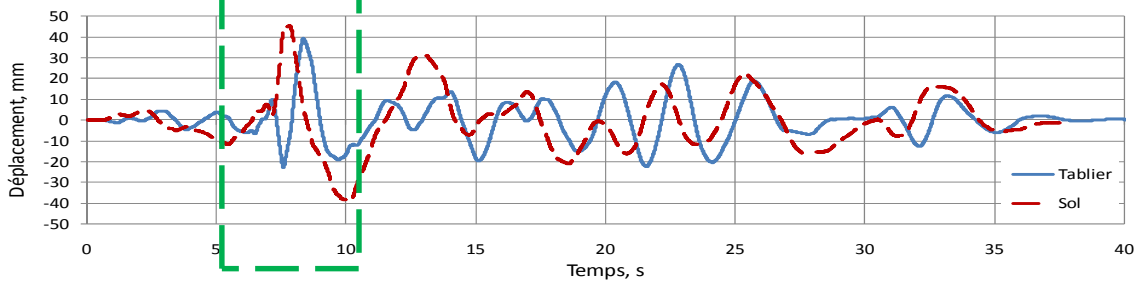
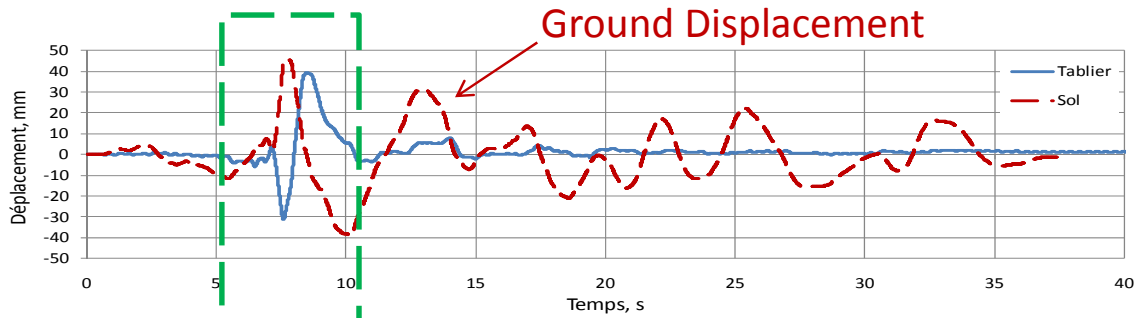
Bridge Response under 4 earthquake records

	Hybrid	Artificial	Hybrid	Artificial
Analysis Type	H-BRA315	E6C1-9	CCN090	E7C1-32
and Parameters	M 6.5	M 6.0	M 6.7	M 7.0
	R 8.5km	R 12.8 km	R 25.7 km	R 25.8 km
Nonlinear ($\alpha=kd/ku=0.01$)				
Elastic Period, T_e (s)	0.34	0.34	0.34	0.34
Added Damping, ξ (%)	0	0	0	0
Effective Damping, β (%)	26.6	26.8	30	24.3
Effective Period, T_{eff} (s)	2.6	2.6	2.5	2.7
Displacement Response (mm)	39	39	32	46
Linear Equivalent				
Equivalent Damping, ξ (%)	26.6	26.8	30	24.3
Equivalent Period, T_{eq} (s)	2.6	2.6	2.5	2.7
Displacement (mm)	39	28	35	40

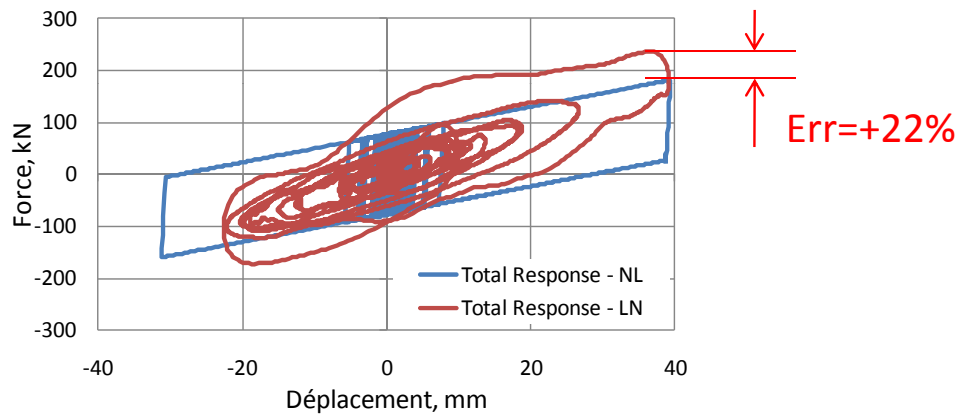
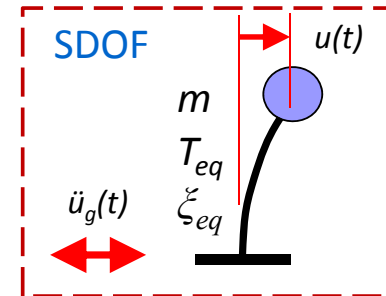
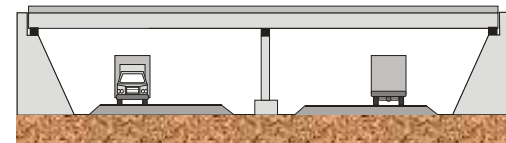


5. Equivalent System

Comparison – Displacement Response (EQ: H-BRA315)



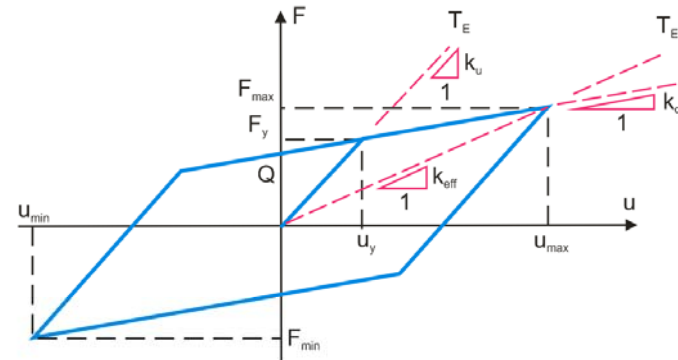
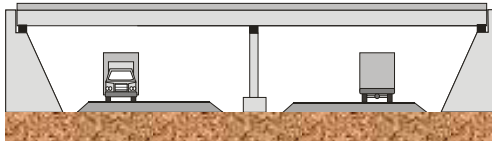
Isolated Bridge - Nonlinear



5. Equivalent System

Code - Bilinear Hysteretic Systems

Isolated Bridge - Nonlinear



CAN/CSA-S6-06

4.10.11.3.3 Design properties of the isolation system

The following requirements shall apply to the design properties of the isolation system:

- (a) The minimum and maximum effective stiffness of the isolation system shall be determined as follows:
- The value of k_{min} shall be based on the minimum effective stiffnesses of individual isolator units as determined by the cyclic tests of Clause 4.10.11.2(c)(ii) at a displacement amplitude equal to the design displacement.
 - The value of k_{max} shall be based on the maximum effective stiffnesses of individual isolator units as determined by the cyclic tests of Clause 4.10.11.2(c)(ii) at a displacement amplitude equal to the design displacement.
- (b) The equivalent viscous damping ratio, β , of the isolation system shall be calculated as follows:

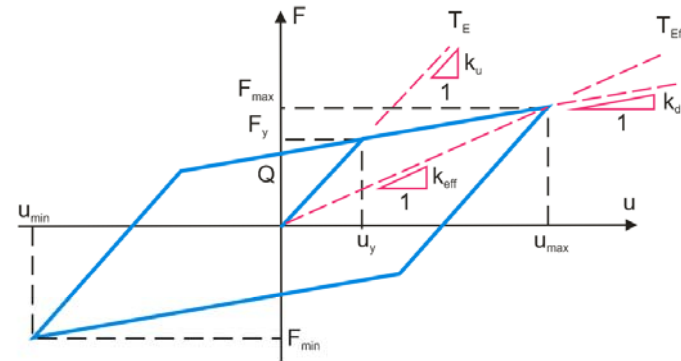
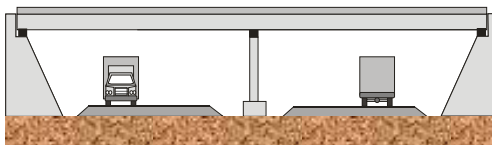
$$\beta = \frac{1}{2\pi} \cdot \frac{\text{Total area}}{\Sigma k_{max} d_i^2}$$

where the total area represents the energy absorbed by the isolation system in one cycle and shall be taken as the sum of the areas inside the hysteresis loops of all isolators. The hysteresis loop area of each isolator shall be taken as the minimum area of one cycle obtained from the three hysteresis loops established by the cyclic tests of Clause 4.10.11.2(c)(ii) at a displacement amplitude equal to the design displacement.

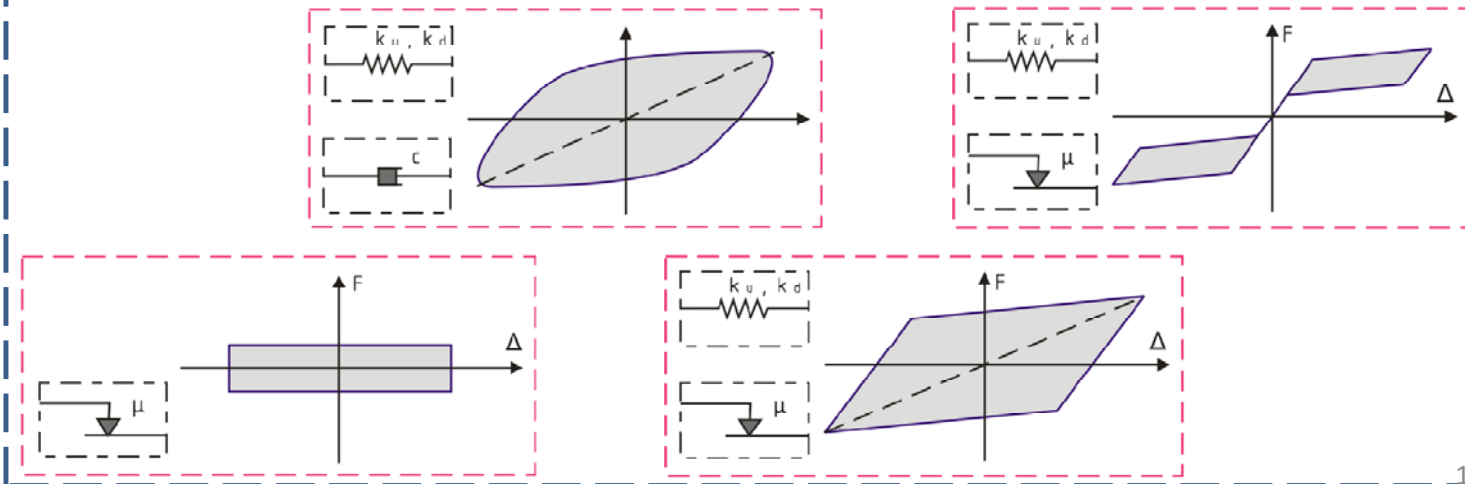
5. Equivalent System

to prepare... provisions for variety of existing Isolation and Damping Systems

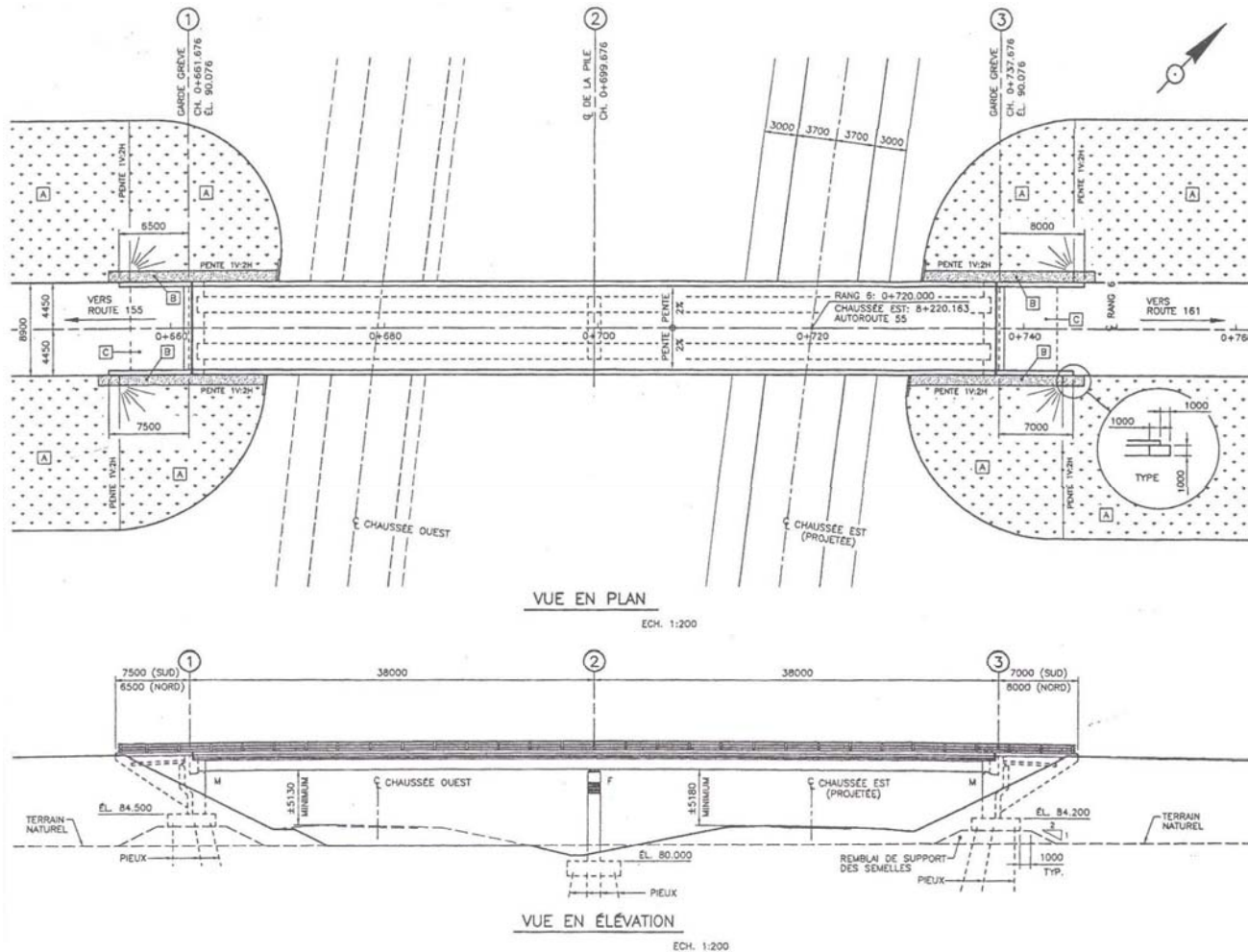
Isolated Bridge - Nonlinear



Combined Response of Existing Systems

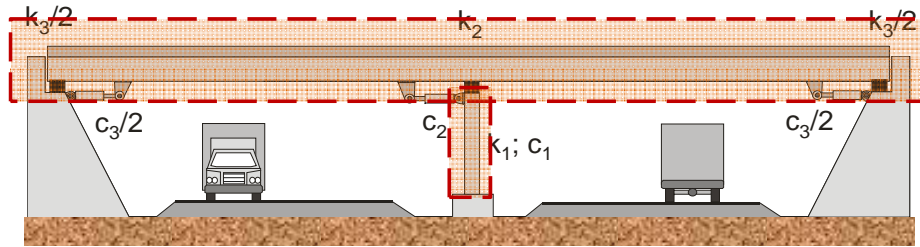


4. Analytical Tool - Existing Bridge (CSA-S6-88)



4.1 Isolated Bridge - Modeling

Analytical Tool – Model Assumptions

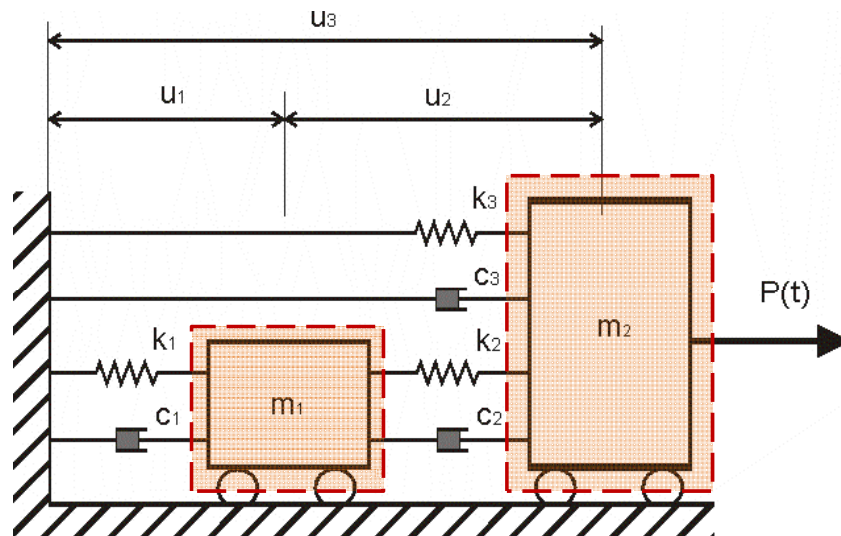


Deck Mass:

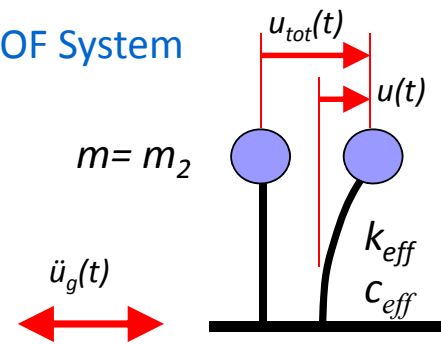
$$m_2 = 1\,574\,000 \text{ kg}$$

Pier Mass:

$$m_1 \approx 0 \text{ kg}$$

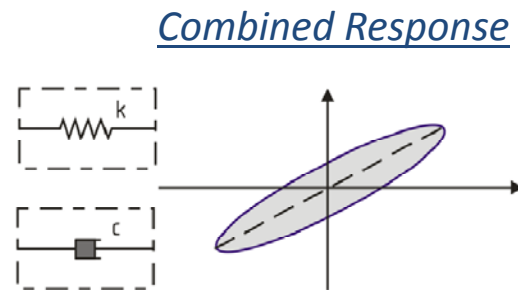
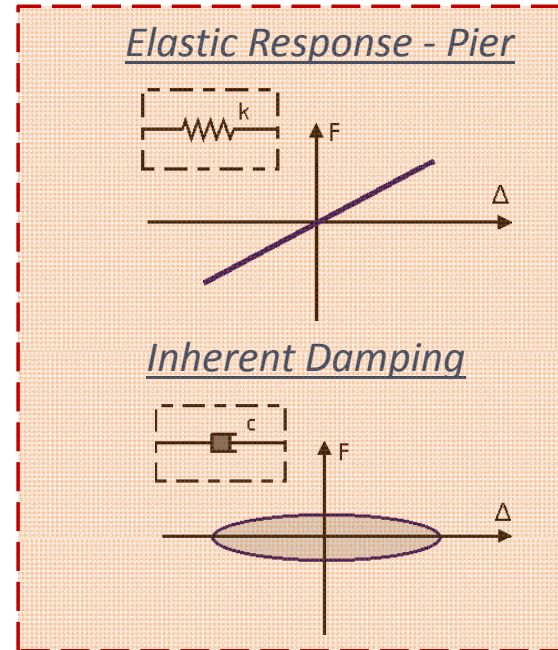
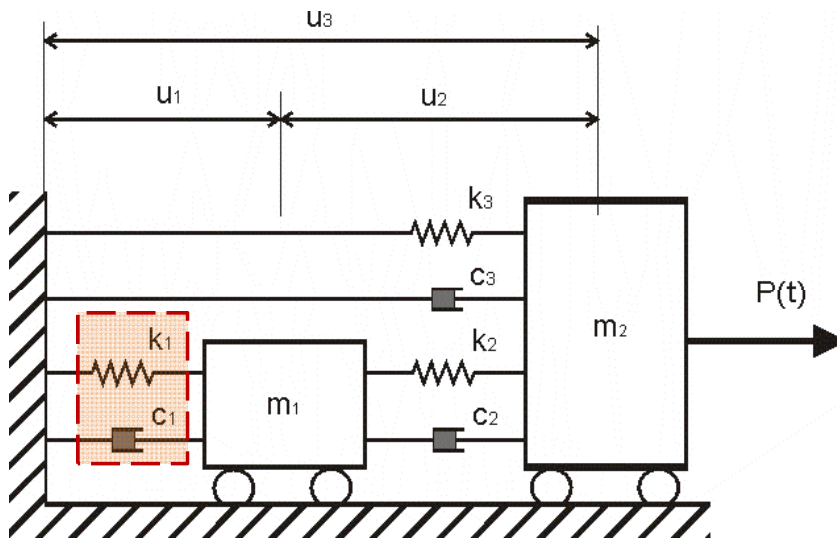
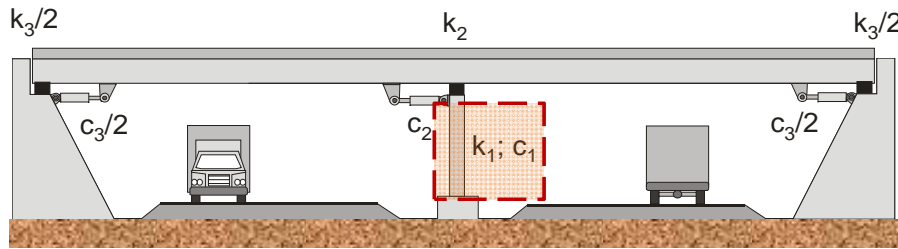


SDOF System



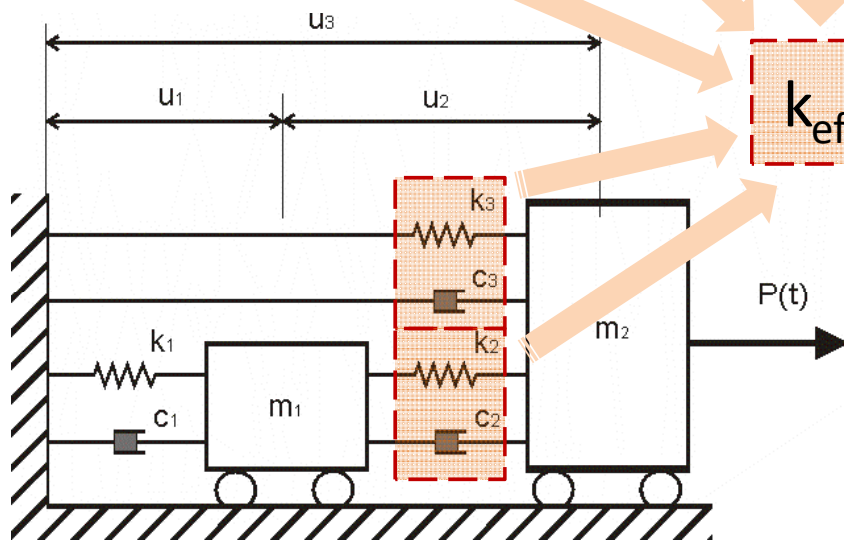
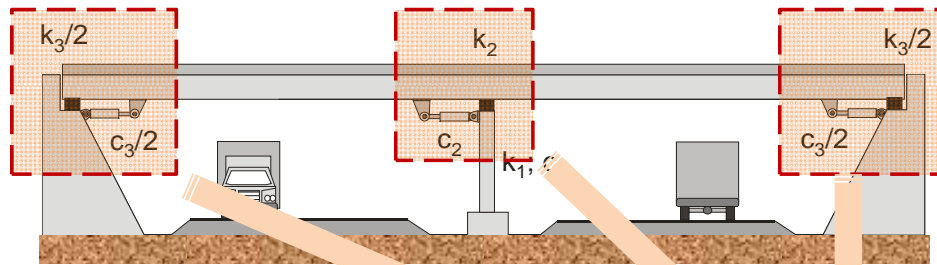
4.1 Isolated Bridge - Modeling

Analytical Tool – Model Assumptions



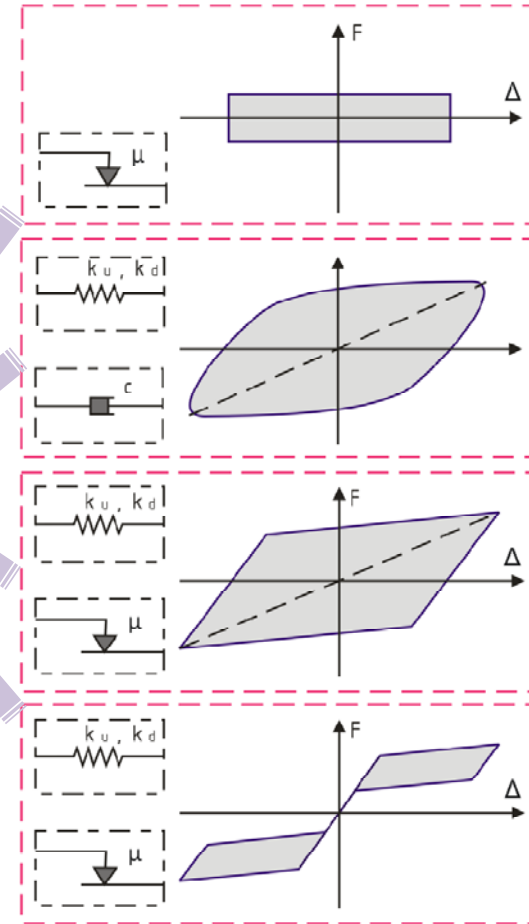
4.1 Isolated Bridge - Modeling

Analytical Tool – Model Assumptions

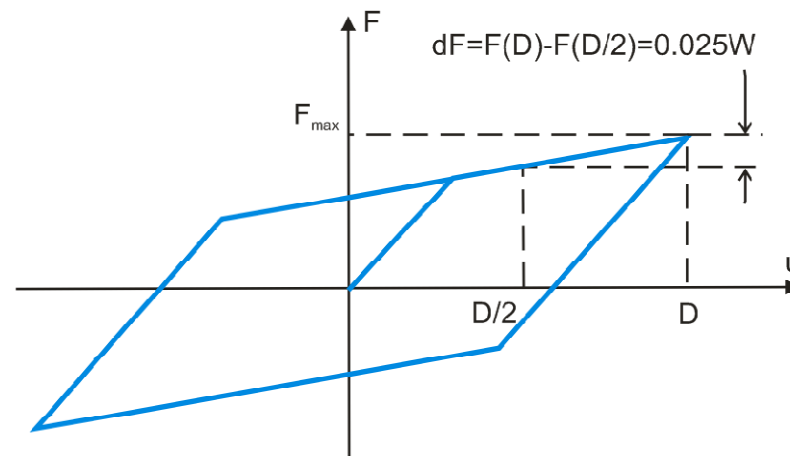


k_{eff}

Isolator Response



5. Isolator Restoring Force (CSA-S6-06 Cl.4.10.10.2)



CAN/CSA-S6-06

4.10.10.2 Lateral restoring force

The isolation system shall be configured to produce a lateral restoring force such that the lateral force at the design displacement is at least $0.025W$ greater than the lateral force at 50% of the design displacement.

5.1 Restoring Force - Examples

Bridge Assessment: 3 Isolation Configurations

Configuration A:

Restoring Force

Isolator	k_u (kN/m)	$\alpha=k_d/k_u$
Abutment	534 300	0.1
Pier	534 300	0.1

Configuration B:

Sliding

Isolator	k_u (kN/m)	$\alpha=k_d/k_u$
Abutment	534 300	0.0
Pier	534 300	0.0

Configuration C:

Restoring Force

Sliding

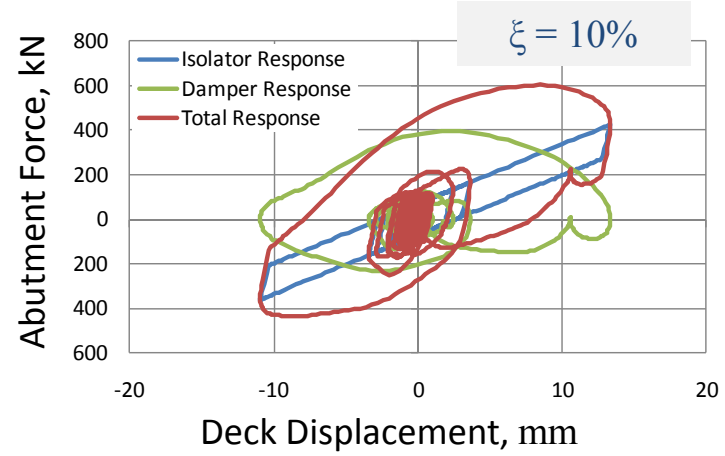
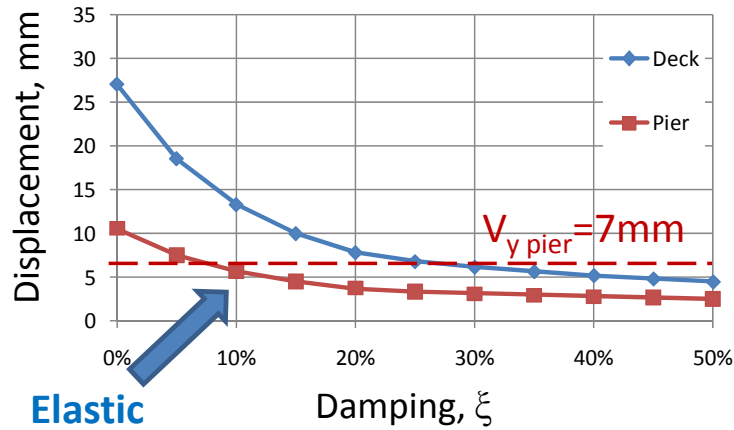
Isolator	k_u (kN/m)	$\alpha=k_d/k_u$
Abutment	534 300	0.1
Pier	534 300	0.0

5.1 Restoring Force - Examples

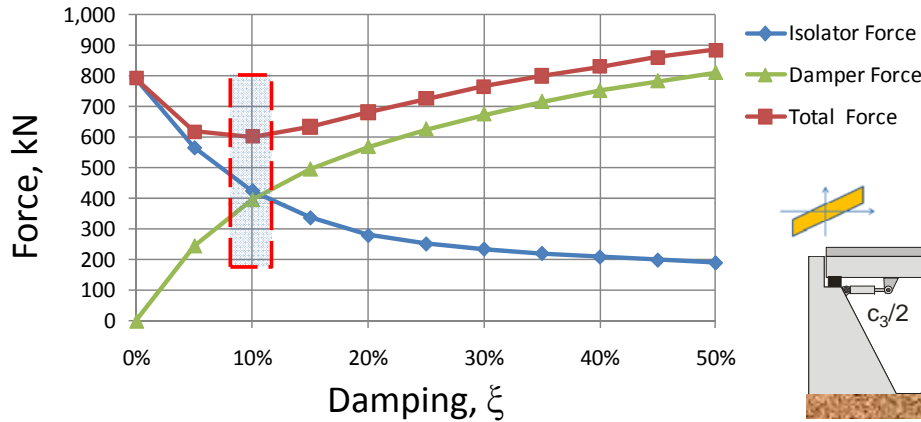
Seismic Isolation Deck-Abutment and Deck-Pier

Configuration A: Responses

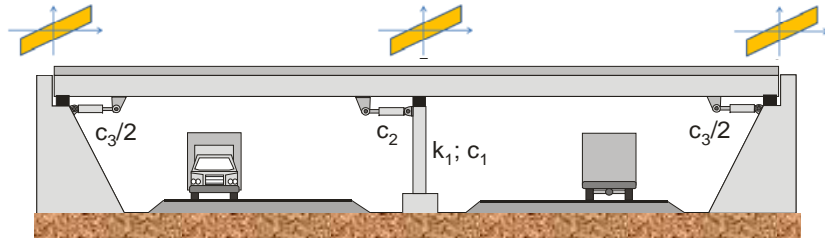
Configuration A: $\alpha_{(abutm)} = 0.1$ and $\alpha_{(pier)} = 0.1$



Elastic



Isolator	k_u (kN/m)	$\alpha = k_d/k_u$
Abutment	534 300	0.1
Pier	534 300	0.1

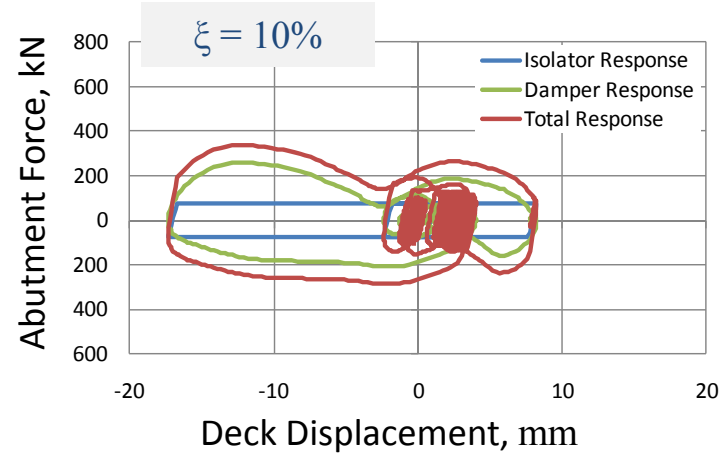
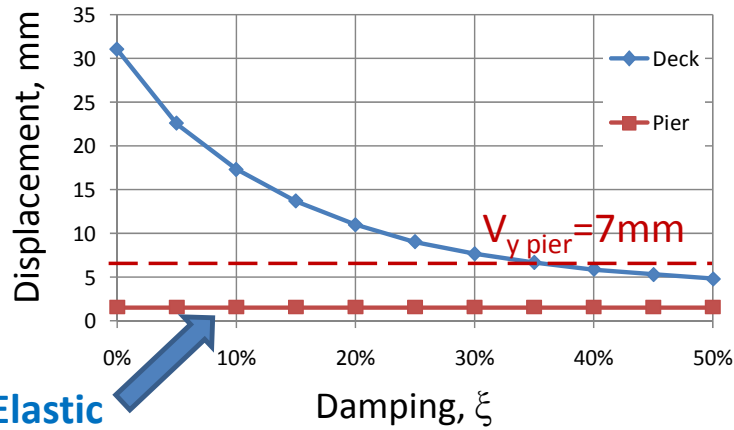


5.1 Restoring Force - Examples

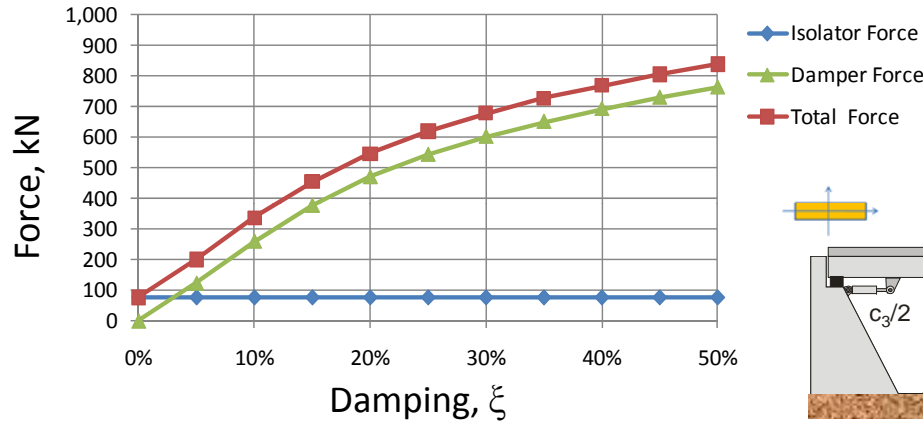
Seismic Isolation Deck-Abutment and Deck-Pier

Configuration B: Responses

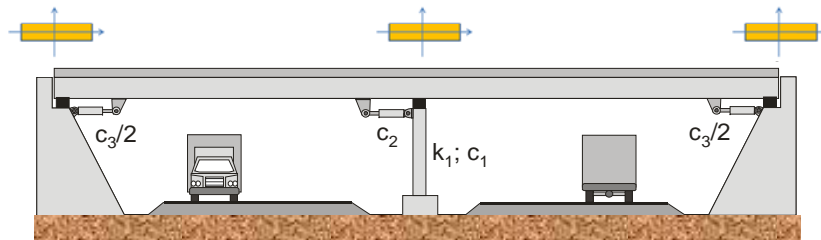
Configuration B: $\alpha_{(abutm)} = 0.0$ and $\alpha_{(pier)} = 0.0$



Elastic



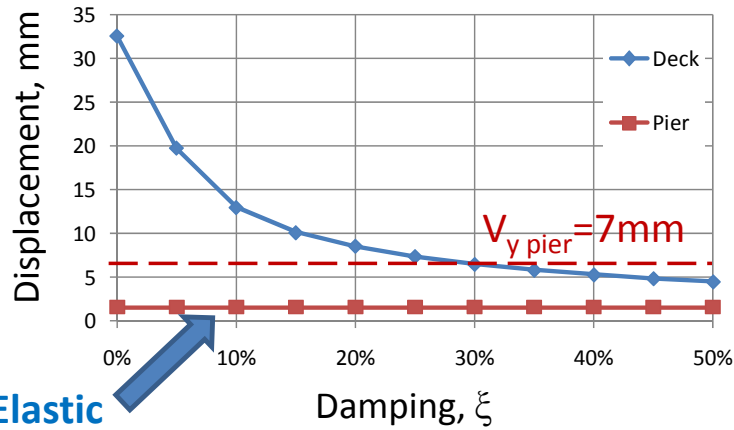
Isolator	k_u (kN/m)	$\alpha = k_d/k_u$
Abutment	534 300	0.0
Pier	534 300	0.0



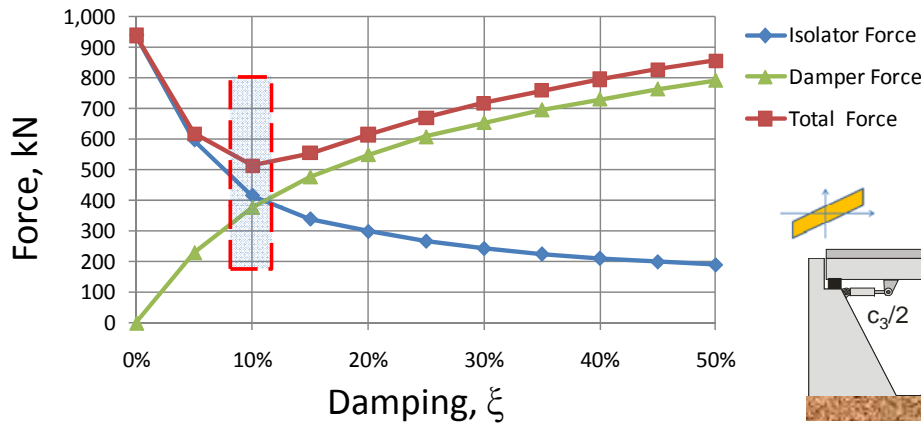
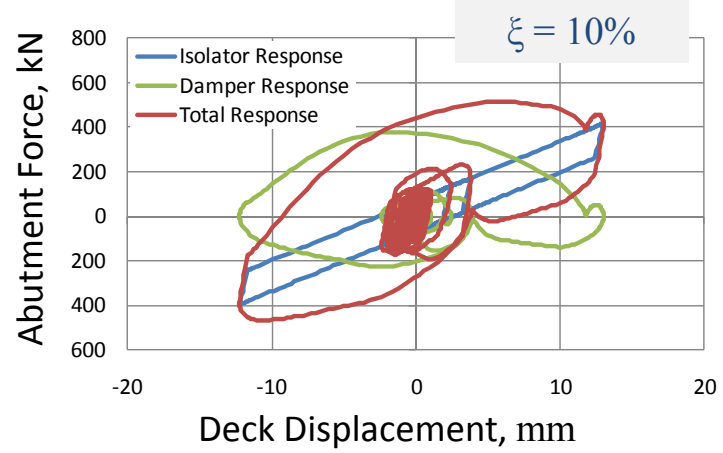
5.1 Restoring Force - Examples

Seismic Isolation Deck-Abutment and Deck-Pier
 Configuration A+B: $\alpha_{(abutm)} = 0.1$ and $\alpha_{(pier)} = 0.0$

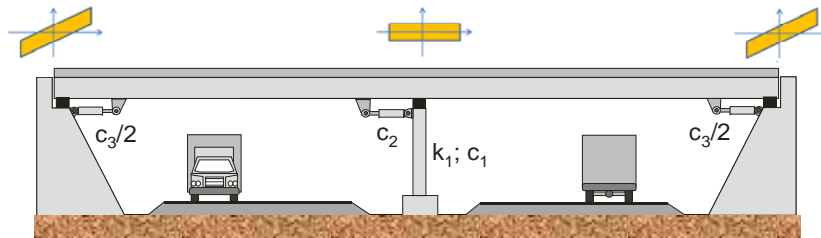
Configuration C: Responses



Elastic

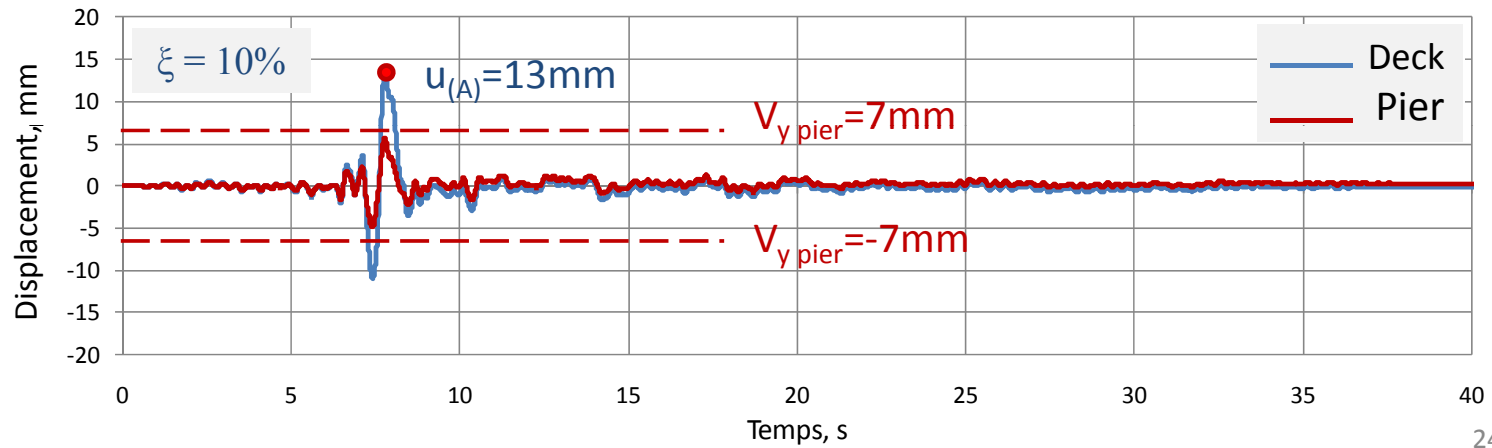
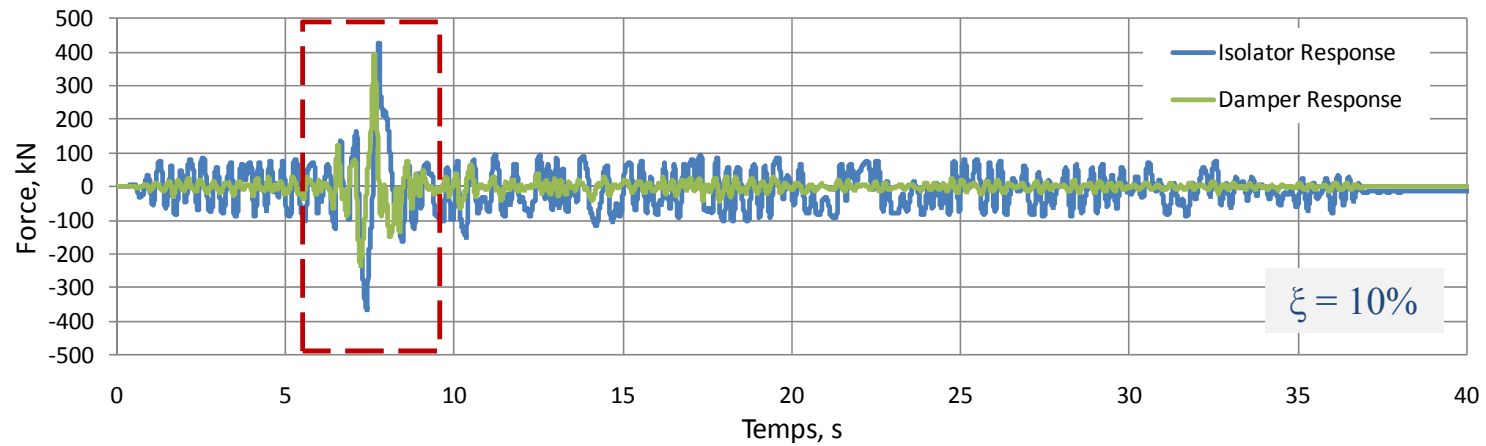
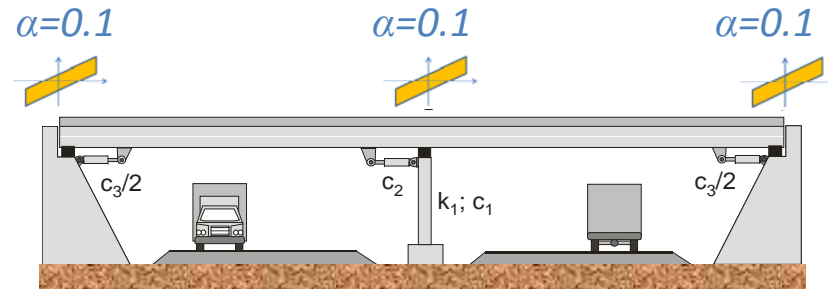


Isolator	k_u (kN/m)	$\alpha = k_d/k_u$
Abutment	534 300	0.1
Pier	534 300	0.0



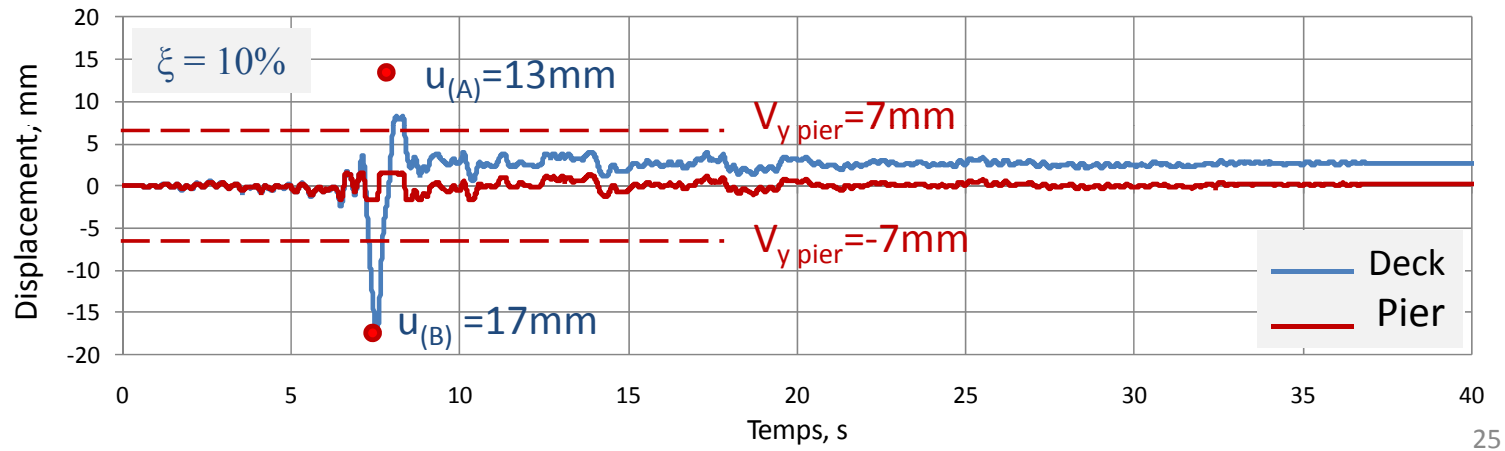
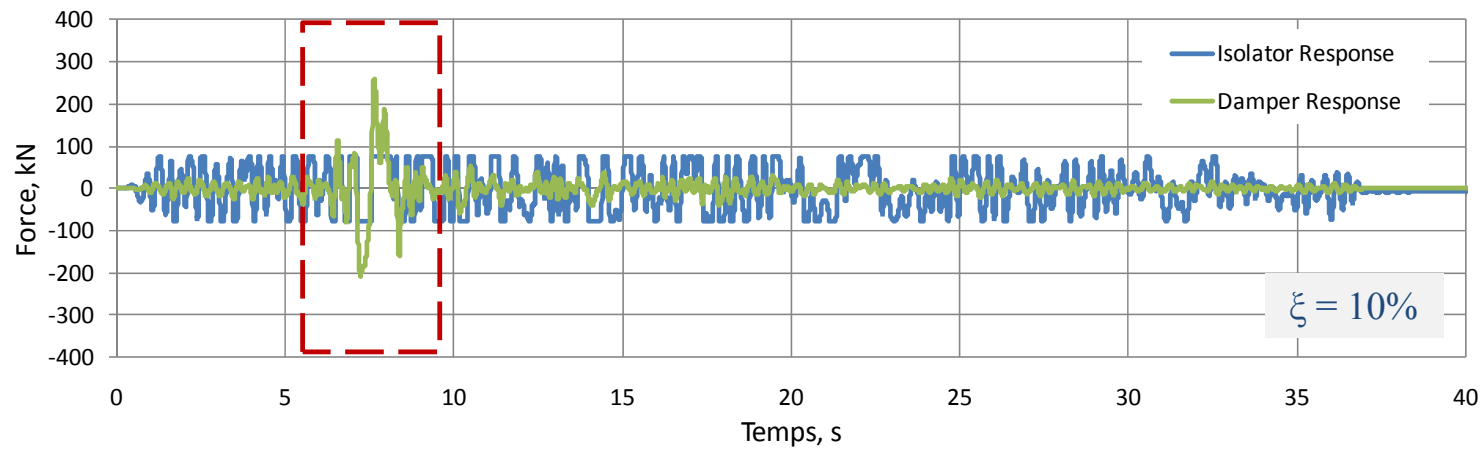
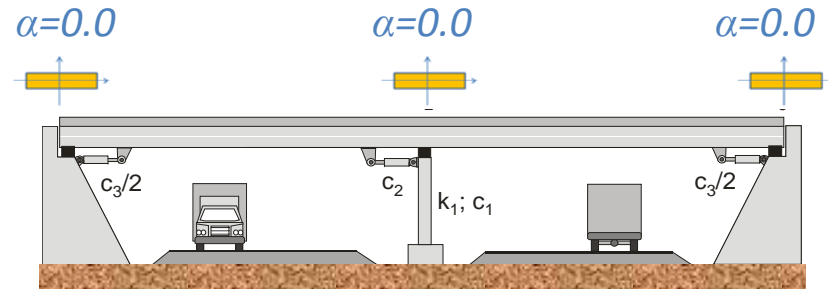
5.1 Restoring Force - Examples

Configuration A:
Time-history responses



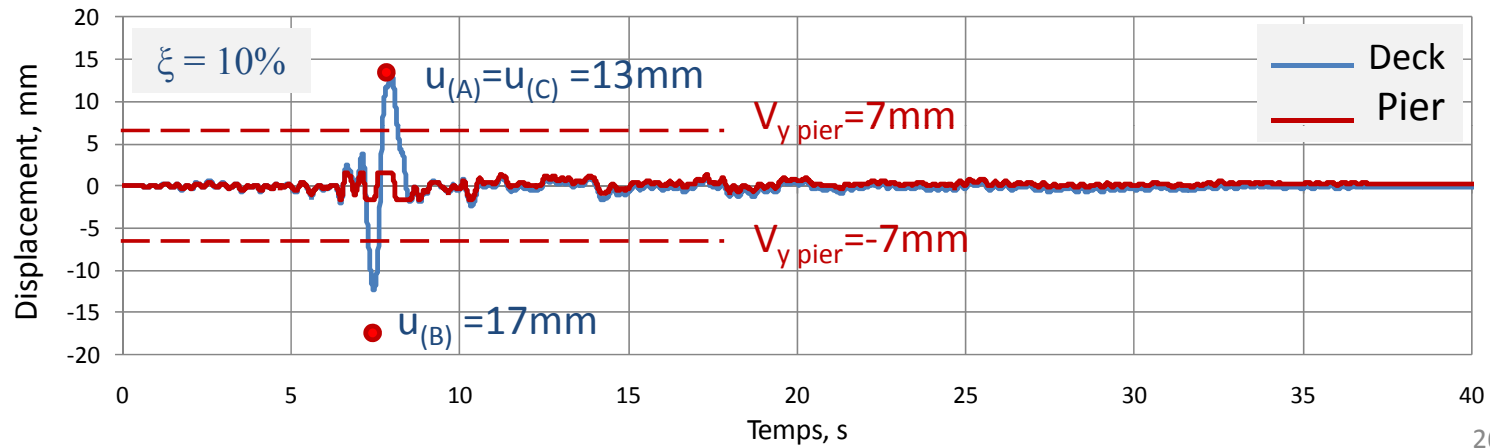
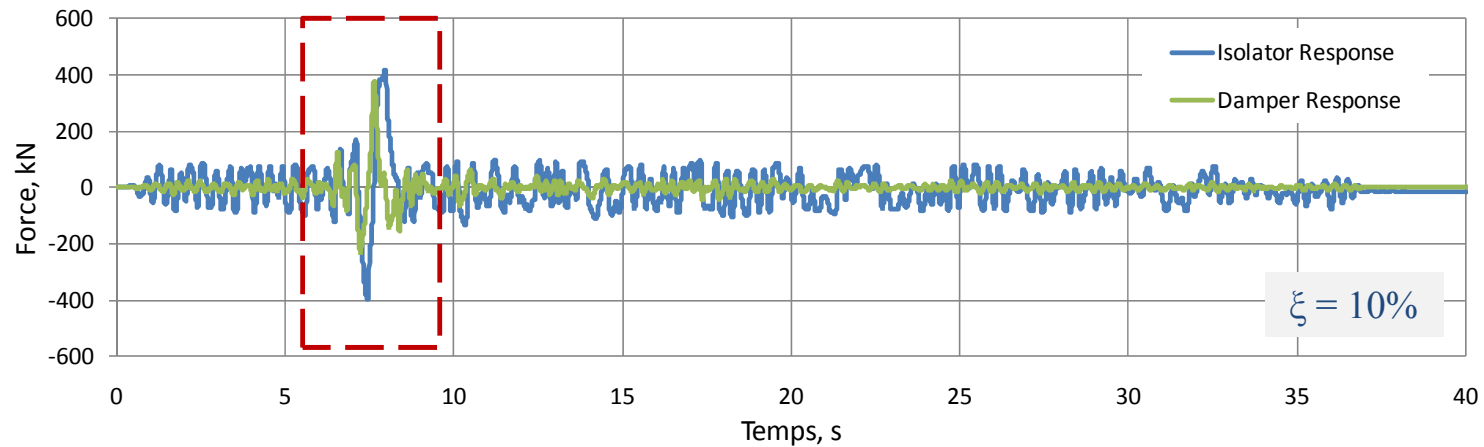
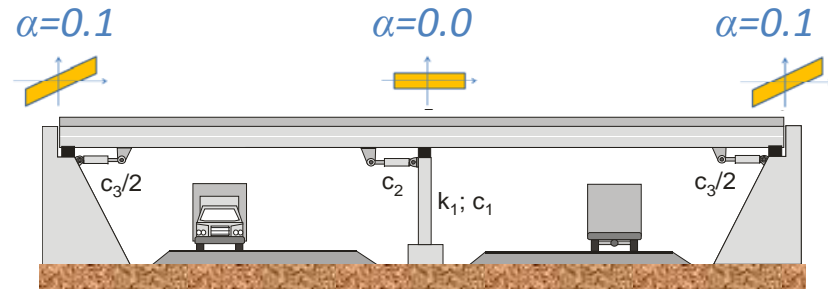
5.1 Restoring Force - Examples

Configuration B:
Time-history responses

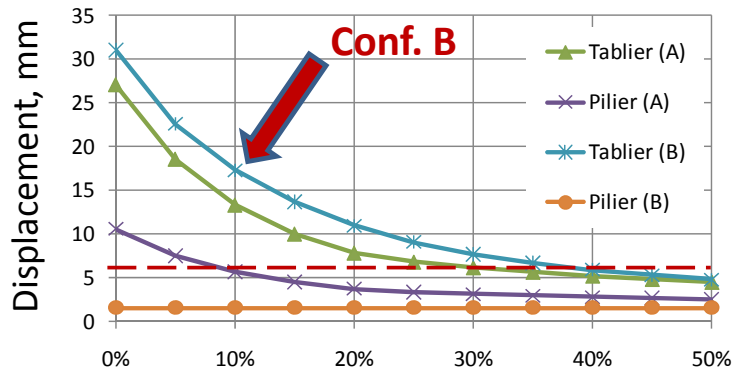


5.1 Restoring Force - Examples

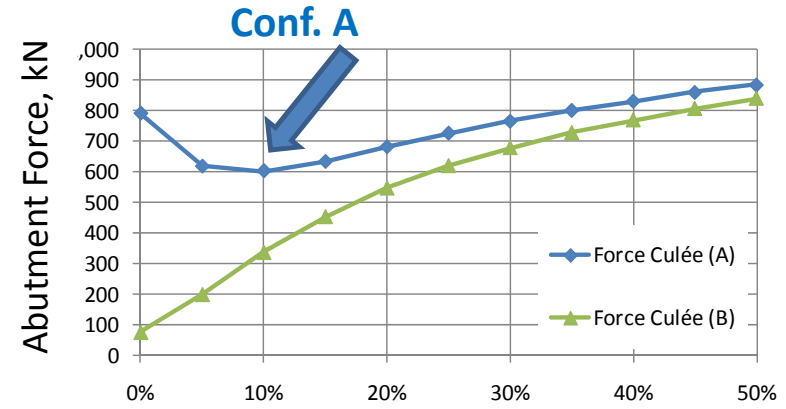
Configuration C:
Time-history responses



5.2 Restoring Force - Comparison



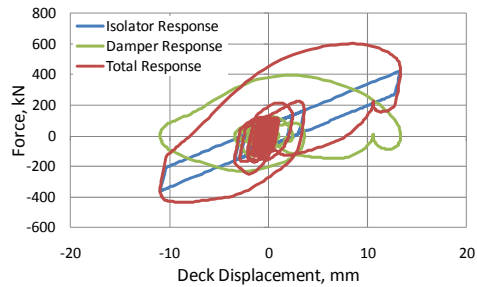
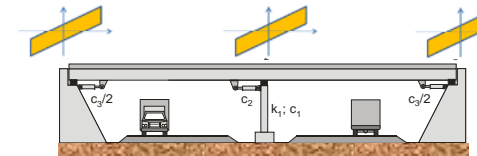
Results Discussion



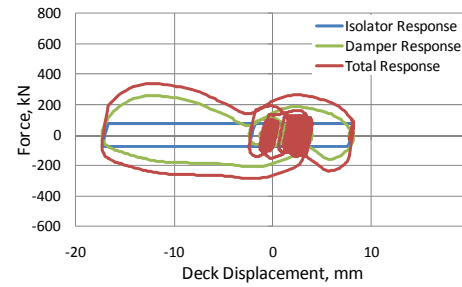
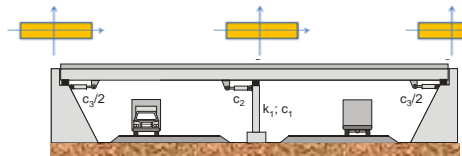
Damping, ξ

Deck Displacement, mm

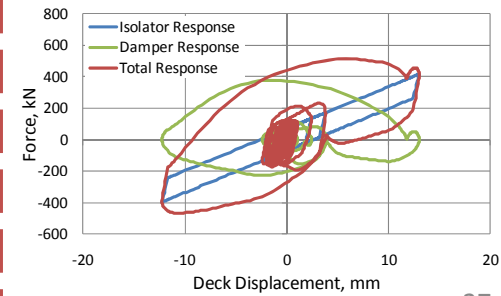
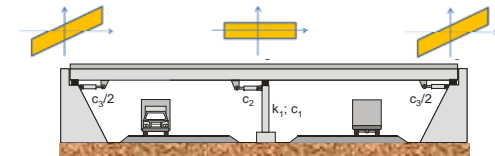
Configuration A:



Configuration B:



Configuration C:



Conclusions

1. Proposed Analytical Tool makes it possible to predict the response of Isolated Bridge under seismic demand
2. Existing in the Code S6 high damping coefficients, B , do not provide reliable response transformation for nonlinear systems and must be re-evaluated for Eastern Canadian regions.
3. Simplified model of a bilinear isolation system presented in the current Code S6 does not cover a variety of existing devices and must be complemented.
4. Existing in the Code S6 provision for required Isolator Restoring Force does not reflect combined effect of existing isolation and damping devices and must be re-examined for the new code edition.